Validation of models and tests for constrained combinatorial interaction testing



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Intro to validation

- GOAL: finding faults in combinatorial models and test suites
 - Better before test generation and test execution
 - Normally done by hand by domain experts
- We focus on some faults that are detected by the violation of some meta-properties that
 - must be true in any valid model and test suite
 - automatically checked (by an SMT solver)
- Example
 - The constraints do not contradict each others

Desired (meta)-properties

- For combinatorial models and tests
- Consistency
 - requires that there are no elements that conflict with each other.
 - e.g. the constraints should not be contradictory

Completeness

• e.g. every feasible requirement must be covered by at least one test

Minimality

- guarantees that the specification does not contain elements defined or declared in the model but never used
- no over-specification
 - e.g. if a parameter value is never used, it could be removed from the parameter domain
 - e.g. the test suite is minimal

CitLab

- http://code.google.com/a/eclipselabs.org/p/citlab/
- Providing testers (and researchers) with some utilities
 - Language (syntax checker) and eclipse-based editor [IWCT12]
 - Test generation via external tools [ICST13]
 - Translators from feature models [IWCT13]

• IWCT14

A "semantic" checker for validation

+ a guideline on how to solve these problems

Using SMT solver to prove meta-props

- CCIT models and tests are translated in the SMT solver as SMT problem
- 2. Every meta-property is translated into the SMT solver
- 3. If the property holds (valid) then OK else FAULT
- We use the SMT as prover: ϕ valid $\Leftrightarrow \neg \phi$ is sat



Why SMT ??????

A BDD or SAT is enough, but:

- in the future some new features to the CitLab language (functions, arrays ...)
- Some SMT utilities:
 - No need of CNF
 - Incremental resolution

VALIDATION OF CIT MODELS

Inconsistent constraints

A set of constraints $C = \{c_1, ..., c_n\}$ is consistent iff $\Lambda_{c \in C} c$ is satisfiable (i.e. there is a model that satisfies them) A model is consistent if its constraints are consistent.

• *Example* of inconsistent constraints:

 $\{a \land \neg b, a \rightarrow b\}$

 In order to discover if a model is consistent, we use the SMT solver by simply checking the satisfiability of the conjunction of the constraints.

How to deal with inconsistent constraints

- In the simplest case a single constraint c_i is inconsistent by itself, i.e., it is a contradiction ($\models \neg c_i$).
 - Remove or correct the constraint
 - **Example**: a=5 and a=6
- In most cases there is not a single inconsistent constraint, but the inconsistency derives from the interaction of the constraints
 - **Example:** { $a \land \neg b, a \rightarrow b, a \lor b$ }
 - In this case, the designer may be interested in finding a maximum subset of consistent constraints
 - Greedy algorithm (see paper)

Constraints Vacuity

- Classically a property is vacuously satisfied if that property is satisfied and proved true regardless of whether the model really fulfills what the designer originally had in mind or not
 - Example: the property a → b is vacuously satisfied by any model where a is never true.
- Here not the same

We borrow the term vacuity to indicate a constraint or one of its subformulas which is useless

Constraints Total Vacuity

 Intuitively, a constraint is totally vacuous if it can be removed because it is always true

A constraint c_i is totally vacuous iff

$$\vDash \left(\bigwedge_{k \in \{1, \dots, n\} - \{i\}} c_k \right) \to (c_i \equiv true)$$

- With the SMT solver, check the validity of the formula above
- **Example**: set of constraints $C = \{\neg a, a \rightarrow b\}$
 - The constraint $a \rightarrow b$ is totally vacuous
 - $\neg a \rightarrow (a \rightarrow b)$ is valid.
- Any tautology is totally vacuous
- More often constraints contain parts that are useless:
 - Partial vacuity

Reducing a formula

 Given a predicate R, *reduce* returns the set of all the formulas obtained from R by removing one occurrence of a subformula in R

```
function reduce(R){
if R is atomic then return Ø
```

if $R = a \land b$ then return $a \land reduce(b) \cup reduce(a) \land b$ if $R = a \lor b$ then return $a \lor reduce(b) \cup reduce(a) \lor b$ if $R = \neg a$ then return $\neg reduce(a)$

Example:

 $reduce(a \land b) = \{a, b\}$ $reduce(a \land (b \lor c)) = \{a, b \lor c, a \land b, a \land c\}$

Reducing a formula (tree)

• *reduce* can be represented as abstract syntax tree "cutting"



Vacuity (general)

A constraint c_i is partially vacuous if there exists $\phi \in reduce(c_i)$ such that $(\bigwedge_{k \in \{1,...,n\} - \{i\}} c_k) \rightarrow (c_i \equiv \phi)$

- If this is true, then ϕ is equivalent to c_i (assuming all the other constraints).
- Using ϕ istead of c_i would give an equivalent simpler model.
- **Example**: $C = \{c_1, c_2\}$ with $c_1 = a \land b$ and $c_2 = (a \lor b) \land d$ REDUCE $(c_2) = \{a \land d, b \land d, a \lor b, d\}$.

The constraint c_2 is partially vacuous because it is equivalent to d

• $c_1 \rightarrow (c_2 \equiv d)$ is valid

How to deal with vacuous constraints

- The vacuity of a constraint may actually be caused by an error
 - Correct the error
- If the model and constraints are correct
 - 1. Simplify the constraints (to speed up the test generation)
 - Totally vacuity \rightarrow remove one, check again
 - Partial vacuity →substitute one with an equivalent subformula and check again

Or

- 2. The user may be interested to keep extra <u>implied</u> constraints
 - Keep and introduce a new notation property?

Useless Values and Parameters

 A parameter p can contain in its domain some values which are never taken by p.

The value v of a parameter p is useless if, due to the constraints, p can never assume value v

If the parameter p can assume only a value, then the whole parameter is useless.

- In SMT: $v \in D$ domain of parameter p is useless, iff $p = v \land (\bigwedge_{k \in \{1,...,n\} \{i\}} c_k)$ is unsatisfiable.
- **Example**: Parameter Enumerative a {a1 a2 a3};

Constraints: # a == a.a1 #

How to deal with useless elements and parameters

- Uselessness of parameters and values can be caused by errors in the constraints: the test designer may have inadvertently introduced a restriction not present in the real system
 - In this case, the constraints should be revised.
- Otherwise useless parameters and values can be removed from the model
 - To speed up the test generation
 - However, other constraints may require to be modified accordingly.

VALIDATION OF CIT TEST SUITES

Test suite correctness

- A test suite is sound if every test is syntactically correct and valid:
 - an assignment of values to the parameters is a syntactically correct test if it satisfies the type definitions;
 - a test is valid if it does not violate any constraint
- A test suite is complete if every feasible test requirement is covered

Test suite correctness.

A test suite is correct if it is sound and complete.

Checking the completeness of a test suite requires a satisfiability solver, since in the presence of constraints it is not possible to judge if a test requirement is feasible by syntax checking

How to deal with incorrect test suites

- An unsound test suite must be fixed before it can be used.
 - either discard any invalid test or
 - It may reduce the coverage
 - Or modify it in order to make it valid
 - It may be difficult
- An incomplete test suite can be completed
 - For instance by using a test generator tool that accepts an existing possibly incomplete test suite (often called seeds)
- Incorrect test suites signal a fault of the test generation algorithm: useful for researchers when experimenting and implementing ne techniques

Test suite minimality

- A test generally cover several other tuples covered by other tests
 - Redundancies
- Some tests that overlap may be eliminated without reducing the total coverage of the test suite.
- test suite reduction or minimization

A test suite TS is minimal if there exists no subset $TS' \subset TS$ such that TS' satisfies all the testing requirements as the original set TS does, i.e., that all the tuples covered by TS are also covered by TS

• How to recognize a non-minimal test suite?

Test suite minimality check

- A test case t_i is essential if it covers at least one tuple in TP (the set of all the tuples for a given n-wise coverage) not covered by other test cases of the test suite TS.
 - Formally, $\exists tp \in TP: t_i \models tp \land (\neg \exists t_i \in TS: (i \neq j \land t_j \models tp))$

A test suite TS is non-minimal iff TS contains at least a not essential test.

How to deal with non minimal test suites

- Not essential tests can be removed
 - Not at once: removing a not essential test may make others essential...
- Test suite reduction (also known as test suite minimization) is often applied in regression testing
 - The problem of finding the minimal test suite that satisfies a set of test goals can be reduced, in polynomial time, to the minimum set covering problem which is NP-hard.
- A simple greedy heuristic for the minimum set covering problem defined can be adapted to the test suite minimization.

EXPERIMENTS

Experiment setup

- A set of 64 models with constraints taken from the literature
 - CASA (M. B. Cohen, M. B. Dwyer, and J. Shi)
 - FoCuS (I. Segall, R. Tzoref-Brill, and E. Farchi)
 - ACTS (Y. Lei, R. Kacker, D. R. Kuhn, V. Okun, and J. Lawrence)
 - IPO-S (A. Calvagna and A. Gargantini)
- used in most papers
- SMT solver yices http://yices.csl.sri.com/



Good news

- No benchmark contains inconsistent constraints
- No tool (ACTS, CASA, ATGT) produced incorrect test suites
- Somehow expected because the models are used in the literature and the tools are validated by other experiments
 - Future work: use during model design or to setup ne algorithms

1. Vacuity detection

- 37 models presented at least one vacuity
 - More than 50% of the benchmarks
 - bench_n: randomly synthetized from real case studies [CASA]
 - But others as well
 - See table

	Vacuous subformalas	Vac. constraints
CommProt	814	76%
Concurr	7	14%
gcc	6	5%
HealthC2	14	8%
ProcComm2	43	83.2%
Services	81	7%
SmartHome	33	77%
Storage1	205	43%
Telecom	5	5%

2. Useless values and parameters

- 23 models have at least one useless parameter value or one useless parameter
- 21 bench_n
 - Ok, but they should be fixed
- ProcComm2
 - ``real-life test space instance generated by or for our customers'
- SmartHome
 - From a Feature Model: useless parameters are present because the model has been automatically obtained from a feature model without applying any optimization.

Are we sure they are good benchmarks?

3. Non minimal test suites

- ACTS in two cases (3% of all the cases) produced non minimal test suites
 - However, still very easy to find and fix

Conclusions

- Validation of combinatorial models and tests by proving some semantic meta-properties:
 - Consistency and not vacuity (total or partial) of constraints,
 - Utility of parameters and elements
 - Correctness and minimality of test suites
- Requires a solver (SMT in our case)
- How to deal with them? Still open problem.
- Useful for users and researchers

Thank you