#### *The Invoice Order system case study* in AsmetaL

# Riferimento

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**Invoicing orders** (M. Allemand et al. (eds.). Comparing Techniques, ISBN 2-906082-29-5. IRIN Nantes, March 1998) : The Problem

- R1: The subject is to invoice orders.
- R2: To invoice is to change the state of an order (to change it from the state "pending" to "invoiced").
- R3: On an order, we have one and one only reference to an ordered product of a certain quantity. The quantity can be different to other orders.
- R4: The same reference can be on several different orders.
- R5: The state of the order will be changed into "invoiced" if the ordered quantity is <= to the quantity which is in stock according to the reference of the ordered product.

#### **Invoicing orders** (M. Allemand et al. (eds.). Comparing Techniques, ISBN 2-906082-29-5. IRIN Nantes, March 1998) **: The Problem**

**R6:** All the ordered references are references in stock. The stock or the set of the orders may vary due to:

- the entry of new orders or cancelled orders
- having a new entry of quantities of products in stock at the warehouse

#### You have to consider the two following cases:

(a) Case 1

 You do not have to take these entries into account. This means that you will not receive two entry flows (orders, entries in stock). The stock and the set of orders are always given to you in a up-to-date state.

#### (b) Case 2

- You have to take into account the entries of:
  - new orders
  - cancellations of orders
  - entries of quantities in the stock

#### Domains:

# **ASM signature -Case 1**

- abstract domain Orders set of orders by R1, static by R6a
- domain Quantity subsetof Natural the quantity values, by R3
- abstract domain Products set of orders by R3
- **enum domain** Order\_status= {INVOICED|PENDING}

Functions:

- dynamic monitored referencedProduct: Orders -> Products the product referenced in an order - by R3
- dynamic monitored orderQuantity: Orders ->Quantity returns the quantity in the order - by R3 not injective, not constant - by R4
- dynamic controlled stockQuantity: Products -> Quantity the quantity of products in stock - by R5 Assumption: the stock is only updated by the system
- dynamic controlled orderState: Orders -> Order\_status the status of an order - dynamic controlled by R2 and R5

#### To invoice an order at a time:

By R2,R5 there is only one transition to change the state of an order

A **single-order rule** can be as follows: per step at most one order is invoiced, with an unspecified schedule (**not taking into account any arrival time of orders**) and with a deletion function under the assumption that stockQuantity is updated only by invoicing.

#### rule r\_InvoiceSingleOrder =

choose \$order in Orders with orderState(\$order) = PENDING and
 orderQuantity(\$order) <=
 stockQuantity(referencedProduct(\$order))</pre>

do par

orderState(\$order) := INVOICED

r\_DeleteStock[referencedProduct(\$order),orderQuantity(\$order)]
endpar

**rule** r\_DeleteStock(\$p in Products ,\$q in Quantity)=

Other strategies to simultaneously invoice a certain number of orders for one product at a time:

In case all orders for one product are simultaneously invoiced (or none if the stock cannot satisfy the request), a **all-or-none** strategy can be expressed by the following rule **InvoiceAllOrNone**:

Function **pendingOrders** yields the set of pending orders for a certain product, while the (static) function **totalQuantity** returns the total **rule f**it InvoiceA NOPNone.=

choose \$product in Products do

let ( \$pending = pendingOrders(\$product) ) in

let ( \$total = totalQuantity(\$pending) ) in

if \$total <= stockQuantity(\$product) then</pre>

#### par

forall \$order in \$pending do
 orderState(\$order) := INVOICED
 r\_DeleteStock[\$product, \$total]

#### endpar

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First strategy

# **Auxiliary functions**

#### static function

# pendingOrders(\$p in Products): Powerset(Orders) = {\$o | \$o in Orders with orderState(\$o) = PENDING and referencedProduct(\$o) = \$p}

## static function Insieme finito di ordini totalQuantity(\$so`n Powerset(Orders)): Quantity = if (isEmpty(\$so)) then 0 else let \$first = first(asSequence(\$so) in quantity(\$first) + totalQuantity(excluding(\$so,\$first)) endif

Other strategies to simultaneously invoice a certain number of orders for one product at a time:

To avoid the *deadlock* when the stock cannot satisfy any request, the following rule **InvoiceOrdersForOneProduct** introduces some non determinism in the choice of a set of pending orders which can be invoiced according to the available quantity in stock.

**rule** r InvoiceOrdersForOneProduct = choose \$product in Products do let (\$pending = pendingOrders(\$product)) in choose \$orderSet in Powerset(\$pending) with totalQuantity(\$orderSet) <= stockQuantity(\$product) do</pre> par Second strategy forall \$order in \$orderSet do orderState(\$order) := INVOICED r DeleteStock[\$product, totalQuantity(\$orderSet)] endpar endlet

Other strategies to simultaneously invoice a certain number of orders **for all products** at a time:

To parallelize invoicing orders over all products, a slight variant of the previous rule can be obtained replacing the **choose** \$product **in** Products with **forall** \$product in Products.

**To further maximize a product** quantity invoiced at the time, a new strategy, the rule **InvoiceMaxOrdersForOneProduct**, consists in choosing a maximal invoicable subset of simultaneously invoiced pending orders for the same product.

For this rule we need to define a static function maxQuantitySubsets : Powerset(Powerset(Orders)) -> Powerset(Powerset(Orders)) which, given a set of set of orders, returns the set of all the sets which have a maximum quantity.

Fourth strategy

Other strategies to simultaneously invoice a certain number of orders at a time:

**rule** r InvoiceMaxOrdersForOneProduct = choose \$product in Products do let (\$pending = pendingOrders(\$product)) in **let** (\$invoicablePending = {\$o in Powerset(\$pending) |  $totalQuantity(\$o) \le totalQuantity(\$product) : \$o\}$ ) in choose \$orderSet in maxQuantitySubsets(\$invoicablePending) do par forall \$order in \$orderSet do orderState(\$order) := INVOICED r DeleteStock[\$product, totalQuantity(\$orderSet)] endpar endlet Fourth strategy endlet

Another strategy not driven by a first choice of a product: choose a set of pending orders, with enough referenced products in the stock, to be simultaneously invoiced.

The predicate **invoicable** is true on a set of pending orders with enough quantity of requested products in the stock, and a function **refProducts** (recursively defined) yields the set of all products referenced in a set of orders.

rule r\_InvoiceOrders =

choose \$orderSet in Powerset(Orders) with invoicable(\$orderSet) do

par

forall \$order in \$orderSet do

orderState(\$order) := INVOICED

forall \$product in referencedProducts(\$orderSet) do

r\_DeleteStock[\$product, totalQuantity(\$orderSet,\$product)] endpar

# **Auxiliary functions**

#### static function

#### static function

#### endif

# **ASM** main rule and initial state

/\*-----\*/

main rule r\_ordersystem =
 r\_InvoiceSingleOrder[]

One can assume that all the orders are initially pending:

**default init** s\_1:

function orderState(\$0 in Orders) = PENDING

# ASM signature - Case 2

Domains (changed):

- dynamic abstract domain Orders set of orders by R1 dynamic by R6b
- enum domain Order\_status= {INVOICED|PENDING|CANCELLED} We assume: cancelled orders are not deleted, but their status changed to CANCELLED

The domains Orders and Products and all the functions for case 1 remain.

New Functions:

- dynamic monitored newOrders: Seq(Prod(Products,Quantity)) the sequence of orders to add (a sequence of pairs product and quantity)
- dynamic monitored ordersToCancel: Seq(Orders) the sequence of orders to cancel, and
- dynamic monitored newItems: Seq(Prod(Products,Quantity)) the new quantities to add in the stock (sequence of pairs product and quantity)

New rules:

Besides the action of invoicing an order, R6b introduces other three operations:

- (1) cancellation of orders r\_CancelOrders,
- (2) insertion of new orders r\_AddOrders,
- (3) addition of quantities of products in the stock r\_AddItems.

We assume that these operations are driven by the three new monitored functions.

#### New rule: /\*--- cancellation of orders ---\*/ rule r\_CancelOrders = forall \$order in asSet(ordersToCancel) do orderState(\$order) := CANCELLED

New rule:

```
/* --- incoming orders --- */
rule r AddOrders =
 forall $pair in asSet(newOrders) do
  let ($product = first($pair),
      $quantity = second($pair)) in
    extend Orders with $order do
      par
         referencedProduct($order):= $product
         orderQuantity($order):= $quantity
         orderState($order):= PENDING
      endpar
  endlet
```

# New rule: /\*--- inserting new items in stock ---\*/ rule r\_AddItems = forall \$item in asSet(newItems) do let (\$product = first(\$item), \$quantity = second(\$item)) in stockQuantity(\$product) := stockQuantity(\$product) + \$quantity endlet

# ASM main rule - Case 2

```
/*-----*/
```

main rule r\_ordersystem2 =
 seq
 par
 r\_AddOrders[]
 r\_CancelOrders[]
 r\_AddItems[]
 endpar
 r\_InvoiceSingleOrder[]
 endseq

N.B. **r\_InvoiceSingleOrder** updates the functions orderState and stockQuantity, hence it **cannot be executed in parallel with rules CancelOrders and AddItems**.